You are given a collection of books, which must be shelved in a library bookcase ordered (from top to bottom in the bookcase and from left to right in each shelf) by the books? catalogue numbers. The bookcase has a fixed width, but you may have any height you like. The books are placed on shelves in the bookcase in the usual upright manner (i.e., you cannot lay a book on its side). You may use as many shelves as you like, placed wherever you like up to the height of the bookcase, and you may put as many books on each shelf as you like up to the width of the bookcase. You may assume that the shelves have negligible thickness.

Now, given an ordered (by catalogue numbers) list of the heights and widths of the books and the width of the bookcase, you are expected to determine what is the minimum height bookcase that can shelve all those books.

## Input

The input file may contain multiple test cases. The first line of each test case contains an integer $N(1 \leq N \leq 1000)$ that denotes the number of books to shelve, and a floating-point number $W(0<$ $W \leq 1000)$ that denotes the width of the bookcase in centimeters. Then follow $N$ lines where the $i-t h$ $(1 \leq i \leq N)$ line contains two floating-point numbers $h_{i}\left(0<h_{i} \leq 100\right)$ and $w_{i}\left(0<w_{i} \leq W\right)$ indicating the height and width (both in centimeters) of the $i$-th book in the list ordered by catalogue numbers. Each floating-point number will have four digits after the decimal point.

A test case containing two zeros for $N$ and $W$ terminates the input.

## Output

For each test case in the input print a line containing the minimum height (in centimeters, up to four digits after the decimal point) of the bookcase that can shelve all the books in the list.

## Sample Input

530.0000
30.000020 .0000
20.000010 .0000
25.000010 .0000
30.000015 .0000
10.00005 .0000
1020.0000
10.00002 .0000
15.000010 .0000
20.00005 .0000
6.00002 .0000
10.00003 .0000
30.00006 .0000
5.00003 .0000
35.00002 .0000
32.00004 .0000
10.00006 .0000
00.0000

## Sample Output

