A group of $M$ people is chasing a very strange animal. They believe that it will stay on a mysterious mountain $T$, so they decided to climb on it and have a loot. The mountain looks ordinary, shown below:

That is, the outline of the moutain consists of $N+1$ segments. The endpoints of them are numbered $0 . . N+1$ from left to right. That is to say, $x[i]<x[i+1]$ for all $0 \leq i \leq n$. And also, $y[0]=y[n+1]=0,1 \leq y[i] \leq 1000$ for all $1 \leq y \leq n$.

According to their experience, the animal is


Mountain $T$ and 3 people most likely to stay at one of the $N$ endpoits numbered $1 . . N$. And... funny enough, they soon discover that $M=N$, so each of them can choose a different endpoint to seek for the animal.

Initially, they are all at the foot of the mountain. (i.e at $\left(s_{i}, 0\right)$ ) For every person $i$, he is planing to go left/right to some place $(x, 0)$ (where $x$ is an integer - they do not want to take time to work out an accurate place) at the speed of $w_{i}$, then climb directly to the destination along a straight line(obviously, no part of the path that he follows can be OVER the mountain - they can't fly) at the speed of $c_{i}$. They don't want to miss it this time, so the teamleader wants the latest person to be as early as possible. How fast can this be done?

## Input

The input will contain no more than 10 test cases. Each test case begins with a line containing a single integer $N(1 l e N \leq 100)$. In the following $N+2$ lines, each line contains two integers $x_{i}$ and $y_{i}\left(0 \leq x_{i}, y_{i} \leq 1000\right)$ indicating the coordinate of the $i$-th endpoints. In the following $N$ lines, each line contains three intergers $c_{i}, w_{i}$ and $s_{i}$ describing a person ( $\left.1 \leq c_{i}<w_{i} \leq 100,0 \leq s_{i} \leq 1000\right)$ - the climbing speed, walking speed and initial position. The test case containing $N=0$ will terminate the input and should not be regarded as a test case.

## Output

For each test case, output a single line containing the least time that these people must take to complete the mission, print the answer with two decimal places.

## Note:

In this example, Person 1 goes to $(5,0)$ and climbs to endpoint 2, Person 2 climbs directly to endpoint 3. person 3 goes to $(4,0)$ and climbs to endpoint 1. Shown on the right:

## Sample Input

3
00
34
61
126
160


The solution to the example

244
81015
42514
0

## Sample Output

