In this problem, you will get introduced to a new game called the "Color Game". In the $N$-cell $(3 \leq N \leq 100)$ color game, there are $N$ cells each having a different color. For simplicity, we will assume that the colors are represented by unique positive integers ranging from 1 to $N$. Each cell has at most one edge (directed) of each color running to another or even the same cell. This is a two-player game and it consists of two phases. In the first phase one of the players plays and in the second phase plays the other.

Suppose player 1 plays in the first phase. At the beginning, player 2 selects three cells $N_{1}, N_{2}$ and $N_{3}$, and places two tokens in $N_{1}$ and $N_{2}$ respectively. Now he challenges player 1 to move any one of the tokens to cell $N_{3}$ in as few moves as possible. In each move only one of the two tokens can be moved. A token can move from the current cell to an adjacent cell only following an edge of the same color as that of the cell the other token is in. At the end of the phase, player 2 must prove that there is a way of moving one of the tokens to cell $N_{3}$ otherwise he will lose. The second phase is similar to the first one except that the players are now reversed. The player solving the problem in fewer moves wins the game.

Now, given the description of the network of cells and the values of $N_{1}, N_{2}$ and $N_{3}$, you are asked to write a program to determine the minimum number of moves required to moves any of the tokens to cell $N_{3}$.

## Input

The input file consists of several data blocks. Each data block describes a game.
The first line of a data block contains an integer $N(3 \leq N \leq 100)$ representing the number of cells. Then follows $N$ lines of $N$ integers each. The $j$-th integer in the $i$-th line $(1 \leq i, j \leq N)$ gives the cell number to which cell $i$ is connected by an edge of color $j$. If cell $i$ does not have an edge of color $j$, then this integer has a value ' 0 . The last line of the data block contains the three integers: $N_{1}, N_{2}$ and $N_{3}$.

The input file terminates with a zero for $N$.

## Output

For each game in the input first output the game number followed by the minimum number of moves required to solve it. Print the line 'Destination is Not Reachable !' if the problem is not solvable. Print a blank line after the outputs for each data set.

## Sample Input

5
25355
02130
01334
15225
54050
531
6
005401
601344
505026
310455
322464
125200
326
0

## Sample Output

```
Game #1
Destination is Not Reachable !
```

Game \#2
Minimum Number of Moves $=6$

