Fraction and Sequence

An infinite integer sequence (S) can be generated from the following quadratic equation

 $S(x) = ax^2 + bx + c$ [a, b, c are non-negative integers]

and $\mathbf{x} = 0 \rightarrow \mathbf{\infty}$ (x is integer)

S(**x**) is the **x**th element of sequence **S**.

For example, if **a**=0, **b**=1 and **c**=0, then **S(x) = x** So the sequence will be: 0, 1, 2, 3, 4, 5, 6, 7, 8, 9, 10 ... 🗢

A fraction \mathbf{p}/\mathbf{q} (p and q are relatively prime) is associated with the sequence **S** in such way that

$\frac{p}{q} = \sum_{x=0}^{\infty} S(x) \left(\frac{1}{10}\right)^{X+1}$	0.0 + 0.01 + 0.002 + 0.0003 + 0.00004 +
Here sequence 0, 1, 2, 3, 4, 5, 6, 7, 8, 9, 10 🗪 is associated	0.000005 + 0.0000006 +
with fraction	0.00000007 +
1 0 . 1 . 2 . 3 .	0.00000008 +
$\frac{1}{81} = \frac{0}{10} + \frac{1}{10^2} + \frac{2}{10^3} + \frac{3}{10^4} + \dots = 0.0123456790\dots$	0.000000009 +
	0.0000000010 +
(explained in right)	

0.0123456790...

In summary, for a given triplet **a**, **b**, **c** there will be a sequence **S** and for a sequence **S** there will be a fraction **p/q**

But for this problem fraction **p/q** will be given. You have to find out how many integer triples (a, b, c) exist for some given limit **L** where $0 \le a, b, c \le L$.

Input

Given T (≤ 10^4) denoting number of test cases. Each case consists of **3** positive integers **p**, **q** and L.

p and **q** are relatively prime to each other.

L is the maximum value for **a**, **b**, **c**. Denominator **q** > 1 and **p**, **q** \leq 10^7 and **L** \leq 10^5

Output

You have to report the number of **integer** triples (**a**, **b**, **c**) that can be formed where $0 \le a$, **b**,

 $\mathbf{c} \leq \mathbf{L}$. See sample Input output for format.

Sample Input	Sample Output
3	Case 1: 1
1 81 100	Case 2: 7
2 3 20	Case 3: 21
2 3 100000	

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