## Problem L

## Lottery

The lottery BWS is played annually. In this lottery $N$ people bet choosing $K$ numbers each. In a formal way, we can say that $B_{i j}$ is the $j$-th value bet by the $i$-th person. Then the organizers choose $K$ positive integers. The chosen numbers are called $W_{1}, W_{2}, \ldots, W_{K}$.

The winners are calculated as followed:

- A non-empty subset is chosen randomly from the $N$ participants; in other words, some participants are luckily chosen.
- For each person in this subset the value $S_{1}$ is calculated, the sum of all the first numbers bet by them, that is, the sum of the $B_{i 1}$ where $i$ is the index of each chosen person. In the same way the values $S_{2}, \ldots, S_{K}$ are calculated.
- A parity test between $W_{j}$ and $S_{j}$ is performed; in other words, it is verified if the parity (if a number is pair or odd) matches between $W_{1}$ and $S_{1}, W_{2}$ and $S_{2}$, and so on until $W_{K}$ and $S_{K}$.
- If all parities match, then the people in this subset are considered the winners!

The organizers want to know: is it possible to pick the numbers $W_{1}, W_{2}, \ldots, W_{K}$ so that there is no subset of winning participants?

## Input

The input contains several test cases. The first line of a test case contains the numbers $N(1 \leq$ $N \leq 30000)$ and $K(3 \leq K \leq 50)$, which represent the number of participants and the quantity of numbers bet by each person, respectively. The participants bet with integer numbers between 1 and $10^{9}$, inclusive. Each of the next $N$ lines contains $K$ numbers representing the bet of each person, one person per line.

## Output

For each test case in the input you must output a single line, containing one letter: ' $S$ ' in case it is possible or ' N ' otherwise.

## Examples

| Input | Output |  |
| :--- | :--- | :--- |
| 2 | 3 |  |
| 1 | 2 | 3 |
| 5 | 6 | 7 |
| 3 | 3 | S |
| 3 | 2 | 1 |
| 6 | 5 | 4 |
| 4 | 4 | 4 |
| 4 | 3 | S |
| 9 | 4 | 7 |
| 4 | 4 | 4 |
| 2 | 7 | 2 |
| 2 | 2 | 1 |

