

# NATIONALICA FEST 2014

## Chicken Lover

Abir loves to eat. Every time he visits a restaurant he wants to eat a chicken item. But chicken item may not be always available. In each day he visits **m** restaurants consecutively. Each restaurant (i = 1...m) can make  $\mathbf{n}_i$  different items (Number of Chicken item is exactly 1). But in a single day each restaurant prepares exactly  $\mathbf{k}_i$  items (chosen randomly from  $\mathbf{n}_i$  items).

Find expected number of chicken items Abir can eat in a single day.

### Input

Input starts with an integer T ( $\leq$  125), denoting the number of test

cases. Each case starts with a line containing an integer **m** ( $1 \le m \le 10000$ ) which denotes number of visiting restaurants. Then in the following line there will be **m** pair of numbers  $n_i$  and  $k_i$  ( $1 \le i \le m$ ,  $1 \le n_i \le 20$ ,  $1 \le k_i \le n_i$ ).

### Output (Illustration in next page)

For each case, print expected number of chicken items Abir can eat in a single line in the format  $\mathbf{P}/\mathbf{Q}$ , where P and Q are relatively prime (i.e. no common factor > 1, between  $\mathbf{P}$  and  $\mathbf{Q}$ ).

Sample Input	Output for Sample Input
3	Case 1: 1/1
1	Case 2: 1/1
1 1	Case 3: 2/3
2	
2 1 2 1	
1	
3 2	

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#### Explanation for Sample Case

In the first case, total no of item is one (one chicken item) and probability of getting 1 chicken item is one. So expected number of chicken item is 1.

In the second case, probability of getting 1 chicken item is  $\frac{1}{2}$  and probability of getting 2 chicken items is  $\frac{1}{4}$ . So expected no of chicken item is  $1 \ge \frac{1}{2} = \frac{1}{1}$ .

