## IIUPC 2012 <br> Problem C: Sohel Sir's Assignment

Sohel sir gave an assignment in CSE-315 course instead of a class test. The assignment was to make questions and provide corresponding answers from the chapters 2, 3, 4, 5. Each student is assigned chapter no $\mathbf{y}$ according to the formula :

$$
y=(\text { Roll \% 4 })+2
$$

I.e. he has to make questions and answers from chapter $\mathbf{y}$. According to this rule, Roll $\mathbf{4}$ was supposed to make questions and answers from chapter 2 as $(\mathbf{4 \% 4})+2=2$ and Roll $\mathbf{3 5}$ was assigned to chapter $\mathbf{5}$ as $\mathbf{( 3 5 \% 4 )} \mathbf{+ 2}=\mathbf{5}$. In the meantime, roll $\mathbf{3 5}$ had already made the questions \& answers from chapter 5 and Roll 4 got the complete assignment of roll 35 .So to copy that assignment Roll 4 wanted to change the divisor 4 of the formula to some number $\mathbf{m}$
 such number. Now, your problem is similar to the above problem.

Given two number $\mathbf{x}$ and $\mathbf{y}$ you have to find a positive number $\mathbf{m}$ such that $(\mathbf{x} \% \mathbf{m})+\mathbf{2}=\mathbf{y}$. If multiple $\mathbf{m}$ is possible, choose the minimum one .If no answer is found print Impossible.

## Input

First line of input will contain the number of test cases, $\mathbf{T} \leq \mathbf{1 2 5}$. Then there follows $\mathbf{T}$ lines, each containing two integers $\mathbf{x}\left(\mathbf{0} \leq \mathbf{x} \leq \mathbf{1 0}^{\mathbf{1 2}}\right)$ and $\mathbf{y}(\mathbf{2} \leq \mathbf{y} \leq \mathbf{x + 2})$.

## Output

For each case, print $\mathbf{m}$, if $\mathbf{m}$ is found. Otherwise print "Impossible" (without quotes). See the samples given below for exact formatting.

| Sample Input | Output for Sample Input |
| :--- | :--- |
| 4 | Impossible |
| 45 | 4 |
| 355 | 4 |
| 42 |  |
| $11 \quad 5$ |  |
| Problem Setter: Mohammad Hafiz Uddin |  |
| Alternate Solution: Radi Muhammad Reza |  |

