## Dominator

In graph theory, a node $\mathbf{X}$ dominates a node $\mathbf{Y}$ if every path from the predefined start node to $\mathbf{Y}$ must go through $\mathbf{X}$. If $\mathbf{Y}$ is not reachable from the start node then node $\mathbf{Y}$ does not have any dominator. By definition, every node reachable from the start node dominates itself. In this problem, you will be given a directed graph and you have to find the dominators of every node where the $0^{\text {th }}$ node is the start node.

As an example, for the graph shown right, $\mathbf{3}$ dominates $\mathbf{4}$ since all the paths from $\mathbf{0}$ to $\mathbf{4}$ must pass through $\mathbf{3}$. $\mathbf{1}$ doesn't dominate $\mathbf{3}$ since there is a path 0-2-3 that doesn't include $\mathbf{1}$.


## Input

The first line of input will contain $\mathbf{T}(\mathbf{\leq 1 0 0})$ denoting the number of cases.
Each case starts with an integer $\mathbf{N}(\mathbf{0}<\mathbf{N}<\mathbf{1 0 0})$ that represents the number of nodes in the graph. The next $\mathbf{N}$ lines contain $\mathbf{N}$ integers each. If the $\mathbf{j}^{\text {th }}\left(\mathbf{0}\right.$ based) integer of $\mathbf{i}^{\text {th }}(\mathbf{0}$ based) line is $\mathbf{1}$, it means that there is an edge from node $\mathbf{i}$ to node $\mathbf{j}$ and similarly a $\mathbf{0}$ means there is no edge.

## Output

For each case, output the case number first. Then output $\mathbf{2 N + 1}$ lines that summarizes the dominator relationship between every pair of nodes. If node $\mathbf{A}$ dominates node $\mathbf{B}$, output ' $\mathbf{Y}$ ' in cell $(\mathbf{A}, \mathbf{B})$, otherwise output ' $\mathbf{N}$ '. Cell $(\mathbf{A}, \mathbf{B})$ means cell at $\mathbf{A}^{\text {th }}$ row and $\mathbf{B}^{\text {th }}$ column. Surround the output with $\mid,+$ and - to make it more legible. Look at the samples for exact format.

| Sample Input | Output for Sample Input |
| :---: | :---: |
| $\begin{array}{\|llllll} \hline 2 & & & & \\ 5 & & & & \\ 0 & 1 & 1 & 0 & 0 \\ 0 & 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 0 & 1 \\ 0 & 0 & 0 & 0 & 0 \\ 1 & & & & \\ 1 & & & & & \\ \hline \end{array}$ | Case 1: +---------+ $\|Y\| Y\|Y\| Y\|Y\|$ ++-------+ $\|N\| Y\|N\| N\|N\|$ +--------+ $\|N\| N\|Y\| N\|N\|$ +--------+ $\|N\| N\|N\| Y\|Y\|$ +--------+ $\|N\| N\|N\| N\|Y\|$ +-------+ $C$ ase $2:$ +-+ $\|Y\|$ +-+ |

Problem Setter: Sohel Hafiz, Special Thanks: Kazi Rakibul Hossain, Jane Alam Jan

