

You and your friend are playing a $\mathbf{2}$ player game. The game is played in a graph of $\mathbf{V}$ vertices. The vertices are numbered from $\mathbf{0}$ to $\mathbf{V - 1}$. The graph has some directed edges. But the graph does not contain any cycles or loops. The rule of the game is as follows.

1. Initially vertex $\mathbf{i}$ has a positive value value $_{\mathbf{i}}$
2. Both players make their moves by turns. In his turn the player chooses a vertex with the following properties.

- The value of the vertex is strictly positive.
- The vertex has one or more outgoing edges.


If there is no such vertex the player loses and the game terminates.
3. If the player can select a vertex the player will decrease the value of the selected vertex i by

1. Then from the set of vertices which have an incoming edge from vertex $\mathbf{i}$, the player will select $\mathbf{K}_{\mathbf{i}}$ (this value will be given as input) vertices and increase the value of those vertices by 1. Among these selected $\mathbf{K}_{\mathbf{i}}$ vertices there can be duplicated vertices. And if a vertex is selected n times its value will be increased by $\mathbf{1}$ every time. Or in another word its value will be increased by $\mathbf{n}$. For example if the $\mathbf{K}_{\mathbf{i}}=\mathbf{6}$ and the selected vertex set is $\{\mathbf{2}, \mathbf{2}, \mathbf{2}, \mathbf{3}, \mathbf{3}, \mathbf{5}\}$ then value $_{\mathbf{2}}$ will be increased by $\mathbf{3}$, value $\mathbf{3}_{\mathbf{3}}$ will be increased by $\mathbf{2}$ and value $\mathbf{5}_{5}$ will be increased by 1.

Now consider the graph on the right.
Let the values of $K$ be $\{\mathbf{2}, \mathbf{1}, \mathbf{3}, \mathbf{2}\}$.
Now the value set $\{\mathbf{0}, \mathbf{0}, \mathbf{0}, \mathbf{5}\}$ is a losing terminating position because the player cannot select any vertex which have outgoing edges and positive values.
For the value set $\{\mathbf{3}, \mathbf{4}, \mathbf{5}, \mathbf{6}\}$ the current player can go to the following value states by $\mathbf{1}$ move.

- $\{\mathbf{2}, \mathbf{5}, \mathbf{6}, \mathbf{6}\}$ - select the vertex $\mathbf{0}$, decrease its value by $\mathbf{1}$. And increase both of $\mathbf{1}$ and 2 by 1. Here $K_{0}=2$.
- \{2,6,5,6\} - select the vertex $\mathbf{0}$, decrease its value by $\mathbf{1}$ and increase its adjacent $\mathbf{1}$ by 2. Here $\mathbf{K}_{\mathbf{0}}=\mathbf{2}$.
- $\{\mathbf{2}, \mathbf{4}, \mathbf{7}, \mathbf{6}\}$ - select the vertex $\mathbf{0}$, decrease its value by $\mathbf{1}$ and increase its adjacent $\mathbf{2}$ by 2. Here $\mathbf{K}_{\mathbf{0}}=\mathbf{2}$.
- $\{\mathbf{3}, \mathbf{3}, \mathbf{5}, \mathbf{7}\}$ - select the vertex $\mathbf{1}$, decrease its value by $\mathbf{1}$ and increase its adjacent $\mathbf{3}$ by 1. Here $\mathbf{K}_{\mathbf{1}}=\mathbf{1}$.
- $\{\mathbf{3}, \mathbf{7}, \mathbf{4}, \mathbf{6}\}$ - select the vertex $\mathbf{2}$, decrease its value by $\mathbf{1}$ and increase its adjacent $\mathbf{1}$ by 3. Here $\mathbf{K}_{\mathbf{2}}=\mathbf{3}$.
- $\{\mathbf{3}, \mathbf{5}, \mathbf{4}, \mathbf{8}\}$ - select the vertex $\mathbf{2}$, decrease its value by $\mathbf{1}$ and increase its adjacent $\mathbf{1}$ by $\mathbf{1}$ and $\mathbf{3}$ by 2. Here $\mathbf{K}_{2}=\mathbf{3}$.
- $\{\mathbf{3}, \mathbf{6}, \mathbf{4}, \mathbf{7}\}$ - select the vertex $\mathbf{2}$, decrease its value by $\mathbf{1}$ and increase its adjacent $\mathbf{1}$ by $\mathbf{2}$ and $\mathbf{3}$ by $\mathbf{1}$. Here $\mathbf{K}_{\mathbf{2}}=\mathbf{3}$.
- $\{\mathbf{3}, \mathbf{4}, \mathbf{4}, \mathbf{9}\}$ - select the vertex 2 , decrease its value by 1 and increase its adjacent 3 by 3 . Here $\mathbf{K}_{\mathbf{2}}=\mathbf{3}$.

Now given the graph and initial values of each of the vertices your task is to determine if the first player wins or loses given that both players play perfectly.

## Input

Input contains multiple number of test cases. First line contains $\mathbf{T}(\mathbf{1} \leq \mathbf{T} \leq \mathbf{2 0})$ the number of test cases. Each test case starts with a line $\mathbf{V}(\mathbf{2} \leq \mathbf{V} \leq \mathbf{1 0 0})$ and $\mathbf{E}(\mathbf{2} \leq \mathbf{E} \leq \mathbf{1 5 0 0})$. $\mathbf{V}$ is the number of vertices and $\mathbf{E}$ is the number of edges. Each of the next $\mathbf{E}$ lines contains $\mathbf{2}$ integers FROM( $\mathbf{0} \leq \mathbf{F R O M}<\mathbf{V}$ ) and $\mathbf{T O}(\mathbf{0} \leq \mathbf{T O}<\mathbf{V})$ denoting that there is a directed edge from FROM to TO. FROM and TO will not be equal. Also each vertex will have at most 15 outgoing edges. Next line contains $\mathbf{V}$ integers $\mathbf{K}_{\mathbf{0}}, \mathbf{K}_{\mathbf{1}}, \ldots \mathbf{K}_{\mathbf{v} \mathbf{- 1}}$. Each of the value of $\mathbf{K}$ is between $\mathbf{1}$ and $\mathbf{1 0 0}$ inclusive. Next line contains $\mathbf{R ( 1} \leq \mathbf{R} \leq \mathbf{1 0 0})$ the number of rounds. There will be $\mathbf{R}$ round of game with this graph. Each of the next $\mathbf{R}$ lines contains the description of each round. Each round consists of $\mathbf{V}$ integers Value $_{\mathbf{0}}$ Value $_{\mathbf{1}} \ldots$ Value $_{\mathbf{v}-\mathbf{1}}$ denoting the initial value of each vertex. Each of these Value ${ }_{i}$ will be between $\mathbf{1}$ and $\mathbf{1 0 0}$ inclusive.

## Output

For each test case output consist of $\mathbf{R + 1}$ lines. First line is "Game\#i:" where $\mathbf{i}$ is the game number. Game number starts from 1. Each of the next $\mathbf{R}$ lines contains "Round\#j: RESULT" where $\mathbf{j}$ is the number of round. RESULT is either WINNING when the initial values of this round is a winning position for the first player or LOSING when the initial values of this round is a losing position for the first player. We will assume that both players play perfectly. Print a blank line after the output of each test case. See the output for sample input for more clarification.

## Sample Input

| 2 |  |  | Game\#1: <br> 3 3 |
| :--- | :--- | :--- | :--- |
| 1 | 0 |  | Round\#1: LOSING |
| 2 | 0 |  | Round\#2: WINNING |
| 1 | 2 |  | Round\#3: WINNING |
| 0 | 2 | 2 | Round\#4: WINNING |
| 5 |  |  |  |
| 3 | 0 | 0 |  |
| 4 | 1 | 0 | Game\#2: |
| 5 | 0 | 1 | Round\#1: LOSING |
| 1 | 1 | 1 | Round\#2: LOSING |
| 2 | 2 | 2 | Round\#3: WINNING |
| 4 | 3 |  | Round\#4: WINNING |
| 0 | 1 |  |  |
| 1 | 2 |  |  |
| 2 | 3 |  |  |
| 3 | 2 | 1 | 0 |

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