

Two players, $\mathbf{S}$ and $\mathbf{T}$, are playing a game where they make alternate moves. $\mathbf{S}$ plays first. In this game, they start with an integer $\mathbf{N}$. In each move, a player removes one digit from the integer and passes the resulting number to the other player. The game continues in this fashion until a player finds he/she has no digit to remove when that player is declared as the loser.

With this restriction, it's obvious that if the number of digits in $\mathbf{N}$ is odd then $\mathbf{S}$ wins otherwise $\mathbf{T}$ wins. To make the game more interesting, we apply one additional constraint. A player can remove a particular digit if the sum of digits of the resulting number is a multiple of 3 or there are no digits left.

Suppose $\mathbf{N}=1234$. $\mathbf{S}$ has 4 possible moves. That is, he can remove $1,2,3$, or 4 . Of these, two of them are valid moves.

- Removal of 4 results in 123 and the sum of digits $=1+2+3=6 ; 6$ is a multiple of 3 . - Removal of 1 results in 234 and the sum of digits $=2+3+4=9$; 9 is a multiple of 3 . The other two moves are invalid.

If both players play perfectly, who wins?

## Input

The first line of input is an integer $\mathbf{T}(\mathbf{T}<60)$ that determines the number of test cases. Each case is a line that contains a positive integer $\mathbf{N}$. $\mathbf{N}$ has at most 1000 digits and does not contain any zeros.

## Output

For each case, output the case number starting from 1. If S wins then output 'S' otherwise output 'T'.

Sample Input

4
33
771

Output for Sample Input
Case 1: S
Case 2: T
Case 3: T

Problem Setter: Sohel Hafiz
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